



# The Yield to Maturity (YTM) of Bonds and How to Calculate It Quickly

## Bonds

Issued by companies are typically designed and sometimes vari



# This Lesson: Very Important for DCM/LevFin

We're going to start looking at concepts relevant for **Debt Capital Markets (DCM)** and **Leveraged Finance (LevFin)** teams.

This one is also relevant if you're in Restructuring, or you're interviewing for a credit fund or anything else debt-related.

# This Lesson: Our Plan

- **Part 1:** The Yield to Maturity (YTM) and What It Means



- **Part 2:** How to Quickly Approximate YTM



- **Part 3:** How to Extend the Formula to Yield to Call and Yield to Put



- **Part 4:** How to Use This Approximation in Real Life



# What Yield to Maturity (YTM) Means

- **Yield to Maturity:** The internal rate of return (IRR) from buying the bond at its *current market price* and holding it to maturity
- **Assumption #1:** You hold the bond until maturity
- **Assumption #2:** The issuer pays all the coupon and principal payments in full on the scheduled dates
- **Assumption #3:** You reinvest the coupons at the same rate
- **Intuition:** What's the *average* annual interest rate % + capital gain or loss % you earn from the bond?



# How to Calculate the Yield to Maturity (YTM)

- **YIELD**(Settlement Date, Maturity Date, Coupon Rate, Bond Price % Par Value Out of the Number 100, 100, Coupon Frequency)
- $=\text{YIELD}("12/31/2014", "12/31/2024", 5\%, 96.23, 100.00, 1) = 5.500\%$
- $=\text{YIELD}("12/31/2017," "6/30/2021", 6\%, 101.00, 100.00, 2) = 5.681\%$
- **IRR**: This will only work for *annual* coupons – set the initial investment to the bond's current market price and make the future cash flows equal the interest + principal payments



# How to Quickly Approximate the YTM

- **Approximate YTM =**

$$\frac{\text{Annual Interest} + (\text{Par Value} - \text{Bond Price}) / \# \text{ Years to Maturity}}{(\text{Par Value} + \text{Bond Price}) / 2}$$

- **Intuition:** Each year, you earn interest **PLUS** a gain on the bond price if it's purchased at a discount (or a loss if it's purchased at a premium)
- And you earn that amount on the “average” between the initial bond price and the amount you get back upon maturity

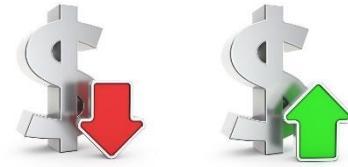


# How to Quickly Approximate the YTM

- **Example:** 10-year \$1,000 bond with a price of \$900, coupon of 5%
- **Annual Interest** =  $5\% * \$1,000 = \$50$
- **Par Value – Bond Price** =  $\$1,000 – \$900 = \$100$
- **(Par Value + Bond Price) / 2** =  $(\$1,000 + \$900) / 2 = \$950$
- **Approximate YTM** =  $(\$50 + \$100 / 10) / \$950 = \$60 / \$950 = \sim6.3\%$

# Limitations of the Quick Approximation

- **Limitation #1:** Doesn't work as well when the bond trades at a big discount or premium to par value



- **Limitation #2:** Misaligned settlement and maturity dates and semi-annual and quarterly coupons will distort this figure



- **Limitation #3:** Won't work as well with floating interest rates (rare for bonds, but it happens...)



# Call and Put Options on Bonds

- **Company:** Interest rates have fallen, or its credit rating has improved, so it wants to refinance at a lower rate



- **Call Options:** Allow companies to redeem (repay) the bond early, usually at a premium to par value



- **In Exchange:** These bonds must offer higher yields to investors because the investors are assuming more risk



- **Early Redemption:** Investors will have to find somewhere else to redeploy their capital, possibly at lower rates



# Extending the Formula to Yield to Call and Put

- **Approximate YTC or YTP =**

$$\frac{\text{Annual Interest} + (\text{Redemption Price} - \text{Bond Price}) / \# \text{ Years to Maturity}}{(\text{Redemption Price} + \text{Bond Price}) / 2}$$

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- **Example:** 10-year \$1,000 bond with a price of \$900, coupon of 5%, and a call date 3 years from now at a redemption price of 103
- **Approximate YTC =**  $(\$50 + (\$1,030 - \$900) / 3) / ((\$1,030 + \$900) / 2)$
- **Approximate YTC =**  $(\$50 + \$43) / \$965 = \$93 / \$965 = Just \ under \ 10\%$
- **Approximate YTC =** ~9.7%

# How to Use This Approximation in Real Life

- **Example:** You're at a **credit fund** that targets a 10% IRR on investments in high-yield debt

10%

- **Potential Investment:** 4-year, 7.950% unsecured bond from JC Penney, currently trading at 91.75 (% of par value)



- **Seems** like an easy “yes”:  $(\sim 8\% \text{ interest per year} + \sim 8\% \text{ discount} / 4) / \text{Average Price of 96\%} = \text{Yield of Just Over 10\%}$



- **PROBLEM:** Will a distressed company be able to repay the bond principal upon maturity? What if its financial situation worsens?



# How to Use This Approximation in Real Life

- You estimate the following **recovery percentages**:

Summary Recovery %	Scenario 1	Scenario 2	Scenario 3
Probability	High	Medium	Low
ABL	100%	100%	100%
Term Loan	100%	100%	100%
Unsecured	65%	47%	13%

- **Scenario 1 Approximate YTM:**  $(8\% - 27\% / 4) / 78.5\% = 1.6\%$
- **Scenario 2 Approximate YTM:**  $(8\% - 45\% / 4) / 69.5\% = -4.7\%$
- **CONCLUSION:** Probably a “No Invest” decision if these recovery percentages are true – even in the Upside Case, we’re far below 10%

# Recap and Summary

- **Part 1:** The Yield to Maturity (YTM) and What It Means



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